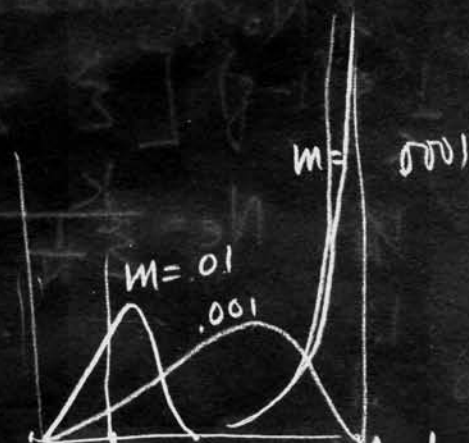
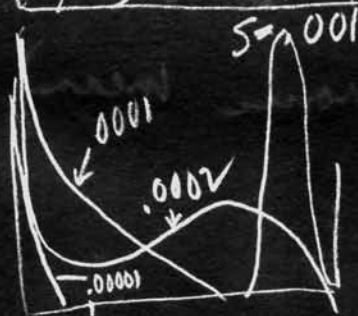
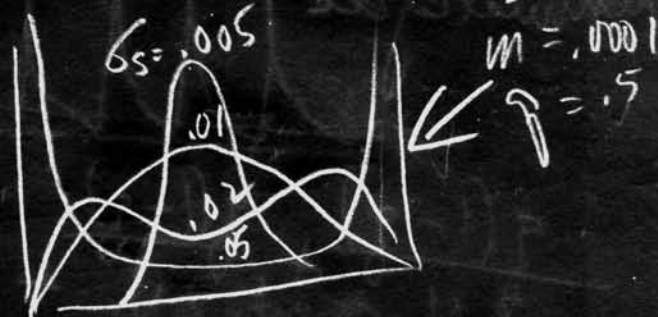
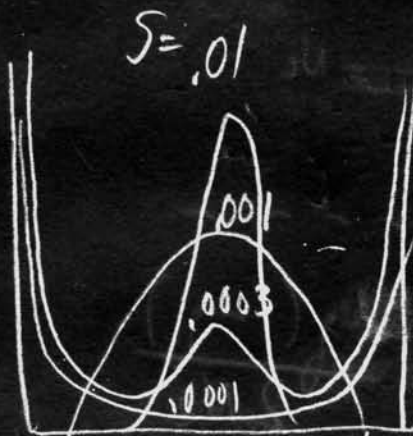


$N = 10^5 (10,000)$

$U = V = 10^{-6}$

$W_{AA} = w_{aa} = (1-s)$

$W_{Aa} = 1$



$N = 10^5$

$m = .0001$

$g_I = 1$

$W_{AA}$

$W_{Aa} = 1-s$

$W_{aa} = 1-2s$

$g_I =$

$g_I = .25$

$g_{A_i} = 1$

$N = 10000$

$AA, 1+2s \quad 1.005$   
 $Aa, 1+s \quad 1.0025$

$N =$

$aabb$

# SEWALL WRIGHT TAUGHT ME

## 1. EVOLUTION

JOE CAIN  
EDITOR

EUSTON GROVE PRESS

SEWALL  
WRIGHT  
TAUGHT ME

1. EVOLUTION

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EDITOR

EUSTON GROVE PRESS  
LONDON  
2007

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Euston Grove Press  
44 Highgate Hill, London N19 5NQ United Kingdom  
[www.eustongrove.com](http://www.eustongrove.com)

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*British Library Cataloguing in Publication Data*

A catalogue record for this book is available from the British Library.

ISBN: 978-1-906267-02-5 (pbk)

(88)  $\Delta g$  tends to approach 0 for all  $g$

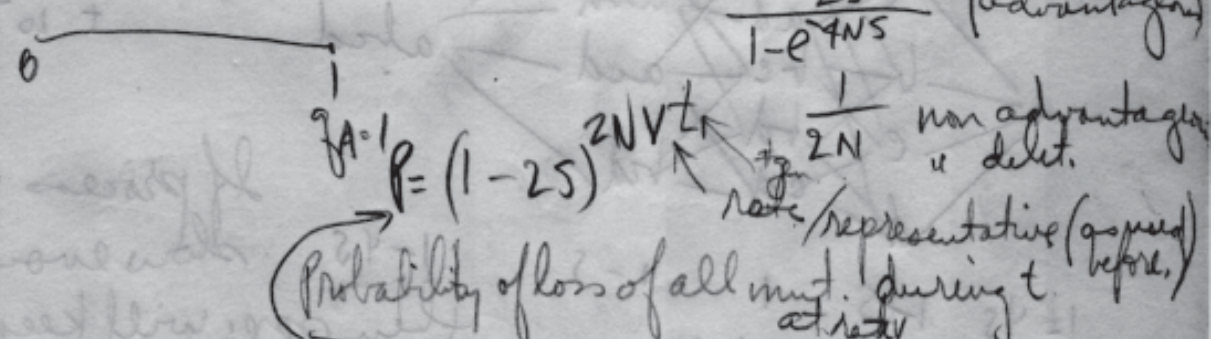
Random Fluctuations.  
Negligible in a large random breeding population.

Unique Processors

Fixation dependent on  $\frac{1}{2N}$ , rate of fixation/generation  
in population size  $N$ , rate steady state reached.  
for small  $N$  use  $\frac{1}{2N+1}$  (still an approx)

AA  $1+2s$  selective advantage of  $s$  for a mutant  
Aa  $1+s$  gene  $A$  may not insure fixation in a pop.  
aa  $1$  fixed for  $aa$ . The random fluctuation

at the ends (over freq) may tend to eliminate it.  
chance of fixation here is (about  $2s$  irrespective  
of pop. size (Haldane) actually  $\frac{2s}{e^{4Ns} - 1}$  (deleterious)  
 $\frac{2s}{1 - e^{-4Ns}}$  (advantageous)



$P = \frac{1}{2}$  chosen as critical point.

$$e^{-4nsvt} = \frac{1}{2} \quad (e^{-x} = (1-x) \text{ for small } x)$$

$$4nsvt = .69$$

$$v = \frac{.7}{4nst}$$



(39)

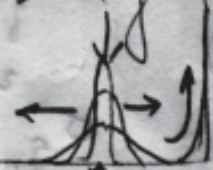
$g$  of next generation is close to  $g$

$$\sigma_{gg}^2 = \frac{g(1-g)}{2N}$$

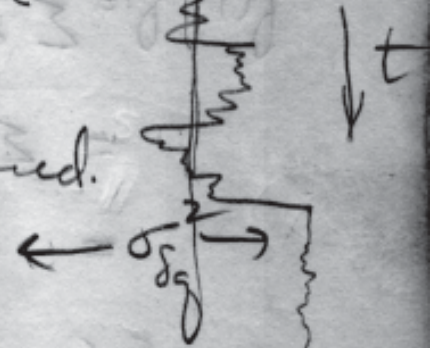
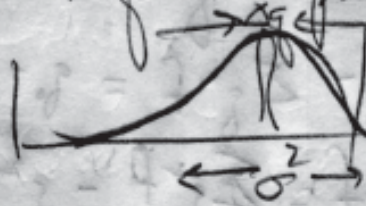
$\rightarrow \Delta g \leftarrow$

array of possible population for 2nd generation

$$\sigma_{g_2}^2 = \sigma_{g_2}^2 + \sigma_{g_1}^2 \quad \sigma_{g_n}^2 = n \sigma_{g_1}^2$$



variance of possible populations spreads out until damped at the ends by the with a  $\Delta g$  (syst. pressure) added & dynamic equil. is produced.



Wednesday 25 July

$[(1-g)a + gA]^{2N}$  distribution of sample of gametes from pop of size  $N$

# of gametes to form a zygote # of zygotes to maintain pop'n.

Prob. come out to be  $(1-g)^{2N} + \dots$  probability of drawing  $2N$   $a$ 's

$$\sigma_{gg}^2 = \frac{g(1-g)}{2N}$$

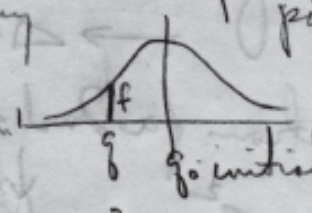
variance of  $g$  from the mean (mode???)

the  $g$  of next generation.

damping effect due to approach of  $g$  to 1 or 0

$\sigma_{g_n}^2 \neq$  but  $\approx n \sigma_{g_1}^2$  less so as  $\rightarrow$  occurs.

same prob { 1 loc in 1 pop many gen  
many 1 many pop 1 gen  
1 1 pop 1 gen } Constant N for each pop. (40)

distribution of  $q$  

$\sigma_{q_n}^2 = \sigma_{q_{n-1}}^2 + \frac{q(1-q)}{2N}$

average variance in one generation.  $\boxed{E f = 1}$  assumption.

$q(1-q) = \sum q(1-q) f_q$

$= \sum q f - \sum q^2 f$

$\Rightarrow q_0 - \sum q^2 f = q_0 - q_0^2 - \frac{\sigma_{q_{n-1}}^2}{q_0(1-q_0)} = q_0(1-q_0) - \frac{\sigma_{q_{n-1}}^2}{q_0(1-q_0)}$

$\sigma_{q_{n-1}}^2 = \sum (q - q_0)^2 f = \sum q^2 f - q_0^2$  ( $\sum q f = q_0$ )

$\sum q^2 f = \sigma_{q_{n-1}}^2 + q_0^2$

$\sigma_{q_n}^2 = \sigma_{q_{n-1}}^2 + \frac{1}{2N} [q_0(1-q_0) - \frac{\sigma_{q_{n-1}}^2}{q_0(1-q_0)}]$

$= \sigma_{q_{n-1}}^2 (1 - \frac{1}{2N}) + \frac{1}{2N} q_0(1-q_0)$

$\sigma_{q_1}^2 = \frac{1}{2N} q_0(1-q_0) = q_0(1-q_0) [1 - (1 - \frac{1}{2N})]$

$\sigma_{q_2}^2 = \frac{1}{2N} q_0(1-q_0) (1 - \frac{1}{2N}) + \frac{1}{2N} q_0(1-q_0)$

$= q_0(1-q_0) [\frac{2}{2N} - (\frac{1}{2N})^2] = q_0(1-q_0) [1 - (1 - \frac{1}{2N})^2]$

SAMPLE PAGES

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